$\qquad$

| Quick Conversion |  | Use your recall of quick conversions, counting, and multiplication to convert these new fractions! |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Unit Fraction | Decimal: | New Fraction: | Decimal Conversion (words and equations) | Number Line: <br> Record each fraction and decimal between the unit fraction and the new fraction |
| $\frac{1}{2}$ | 0.5 | $\frac{5}{2}$ | 5 halves are the same as... $5 \times 0.5=2.5$ |  |
| $\frac{1}{10}$ |  | $\frac{3}{10}$ |  | $\llcorner\vdash \mid$ |
| $\frac{1}{100}$ |  | $\frac{6}{100}$ |  |  |
| $\frac{1}{3}$ |  | $\frac{2}{3}$ |  | $\llcorner\perp \mid$ |
| $\frac{1}{4}$ |  | $\frac{7}{4}$ |  | $\llcorner\perp$ |
| $\frac{1}{5}$ |  | $\frac{3}{5}$ |  | $\llcorner\stackrel{\perp}{\perp}$ |
| $\frac{1}{9}$ |  | $\frac{5}{9}$ |  | $\llcorner\perp \mid$ |

The next set here are harder because the decimal conversions are not so short and simple. However, in some cases they can be simplified if you think about equivalent fractions.

## Take a look:

| Quick Conversion |  | Use your recall of quick conversions, counting, and multiplication to convert these new fractions! |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Unit Fraction | Decimal: | New <br> Fraction: | Decimal Conversion (words and equations) | Number Line: <br> Record each fraction and decimal between the unit fraction and the new fraction |
| $\frac{1}{8}$ | 0.125 | $\frac{2}{8}$ | $2 / 8$ is equivalent to $1 / 4$ Therefore, $2 / 8=0.25$ |  |
| $\frac{1}{8}$ | 0.125 | $\frac{3}{8}$ | No equivalent fraction. Three eighths are the same as: $3 \times 0.125=0.375$ | $\begin{aligned} & 0 \\ & \mathrm{~L} \\ & \mathrm{~L} \\ & \mathrm{C} \\ & \mathrm{C} \\ & \hline \end{aligned}$ |
| $\frac{1}{16}$ |  | $\frac{4}{16}$ |  | $\perp \perp$ |
| $\frac{1}{8}$ |  | $\frac{4}{8}$ |  | $\llcorner\perp$ |
| $\frac{1}{12}$ |  | $\frac{3}{12}$ |  |  |
| $\frac{1}{6}$ |  | $\frac{3}{6}$ |  |  |

Think: can I find a simpler equivalent fraction?

| Quick Conversion |  | Use your recall of quick conversions, counting, and multiplication to convert these new fractions! |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Unit Fraction | Decimal: | New <br> Fraction: | Decimal Conversion (words and equations) | Number Line: <br> Record each fraction and decimal between the unit fraction and the new fraction |
| $\frac{1}{16}$ |  | $\frac{4}{16}$ |  |  |
| $\frac{1}{8}$ |  | $\frac{7}{8}$ |  | $\begin{array}{llllllllll} 0 \\ \perp & \mid & \mid & \mid & \mid & \mid & \mid & \mid & \mid & \mid \end{array}$ |
| $\frac{1}{12}$ |  | $\frac{4}{12}$ |  | $\llcorner\perp$ |
| $\frac{1}{8}$ |  | $\frac{6}{8}$ |  | $\llcorner\perp \mid$ |
| $\frac{1}{12}$ |  | $\frac{6}{12}$ |  |  |
| $\frac{1}{6}$ |  | $\frac{2}{6}$ |  | $\llcorner\stackrel{\perp}{\perp}$ |
| $\frac{1}{7}$ |  | $\frac{4}{7}$ |  | $\llcorner\cdot \mid$ |

## Ridiculous Sevenths??

They do seem ridiculous, it's true. The multiplication likely did not save you time. Why on earth would we get you to memorize such a thing?

Did you notice something weird about the pattern? Take a look:

| $\frac{1}{7}$ | $\frac{2}{7}$ | $\frac{3}{7}$ | $\frac{4}{7}$ |
| :---: | :---: | :---: | :---: |
| 0.142857 | 0.285714 | 0.428571 | 0.571428 |

What might be the next in the sequence?
$\begin{array}{ll}\frac{5}{7} & \frac{6}{7}\end{array}$
$\qquad$
$\qquad$

## Describe what seems to be going on here:

Finally, know that one of the sevenths is famous! Why? It is as close to $\pi$ (pi) as one can get in a rational number. What is this famous seventh? Do a little research and see if you can find out

